## Chapter 4: Sound and Music.

Now that we have color, graphics, and an understanding of variables, let's add sound and make some music. Basic concepts of the physics of sound and musical notation will be introduced. You will be able to translate a tune into frequencies and durations to have the computer synthesize a voice.

## Sound Basics - Things you need to know about sound:

Sound is created by vibrating air striking your ear-drum. These vibrations are known as sound waves. When the air is vibrating quickly you will hear a high note and when the air is vibrating slowly you will hear a low note. The rate of the vibration is called frequency.


Illustration 9: Sound Waves
Frequency is measured in a unit called hertz (Hz). It represents how many cycles (ups and downs) a wave vibrates through in a second. A normal
person can hear very low sounds at 20 Hz and very high sounds at 20,000 Hz . BASIC-256 can produce tones in the range of 50 Hz to 7000 Hz .

Another property of a sound is its length. Computers are very fast and can measure times accurately to a millisecond (ms). A millisecond (ms) is $1 / 1000$ (one thousandths) of a second.

Let's make some sounds.

| 1 | \# sounds.kbs |
| :--- | :--- |
| 2 | sound 233,1000 |
| 3 | sound 466,500 |
| 4 | sound 233,1000 |

## Program 23: Play Three Individual Notes

You may have heard a clicking noise in your speakers between the notes played in the last example. This is caused by the computer creating the sound and needing to stop and think a millisecond or so. The sound statement also can be written using a list of frequencies and durations to smooth out the transition from one note to another.

In the program below, the first two values represent the frequency and duration of the first note. Once that is played the next two values are used to play the next note.
1 \# soundslist.kbs
2 sound $\{233,1000,466,500,233,1000\}$

## Program 24: List of Sounds

This second sound program plays the same three tones for the same duration but the computer creates and plays all the sounds at once, making them
sound frequency, duration
sound \{frequency1, duration1, frequency2,
duration2 ...\}
sound numeric_array[]
The basic sound statement takes two arguments; (1) the
frequency of the sound in Hz (cycles per second) and (2) the
length of the tone in milliseconds (ms).
The second form of the sound statement uses a single list with
curly braces to define the frequency and duration. This form can
be confusing, be careful.
The third form of the sound statement uses an array containing
frequencies and durations. Arrays are covered in a later chapter.

How do we get BASIC-256 to play a tune? The first thing we need to do is to convert the notes on a music staff to frequencies. Illustration 9 shows two octaves of music notes, their names, and the approximate frequency the note makes. In music you will also find a special mark called the rest. The rest means not to play anything for a certain duration. If you are using a list of sounds you can insert a rest by specifying a frequency of zero (0) and the needed duration for the silence.


## Illustration 10: Musical Notes

Take a little piece of music and then look up the frequency values for each of the notes. Why don't we have the computer play "Charge!". The music is in Illustration 11. You might notice that the high $G$ in the music is not on the musical notes; if a note is not on the chart you can double (to make higher) or half (to make lower) the same note from one octave away.


Illustration 11: Charge!

Now that we have the frequencies we need the duration for each of the notes. Table 3 shows most of the common note and rest symbols, how long they are when compared to each other, and a few typical durations.

Duration in milliseconds (ms) can be calculated if you know the speed if the music in beats per minute (BPM) using Formula 1.

Note Duration $=1000 * 60$ / Beats Per Minute $*$ Relative Length Formula 1: Calculating Note Duration

| Note Name | Symbols for Note - Rest | Length in Beats | At 100 BPM | At 120 BPM | At 140 BPM |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Dotted Whole | $0^{-\quad .}$ | 6.000 | 3600 ms | 3000 ms | 2571 ms |
| Whole | - - | 4.000 | 2400 ms | 2000 ms | 1714 ms |
| Dotted Half | \%. $=$ | 3.000 | 1800 ms | 1500 ms | $1285 \mathrm{~ms}$ |
| Half | d $=$ | 2.000 | 1200 ms | 1000 ms | - 857 ms |
| Dotted Quarter | $\%$ | 1.500 | $900 \mathrm{~ms}$ | 750 ms | 642 ms |
| Quarter | - ? | 1.000 | $600 \mathrm{~ms}$ | 500 ms | 428 ms |
| Dotted Eighth | $\text { f. } \%^{\circ}$ | $0.750$ | 450 ms | 375 ms | 321 ms |
| Eighth | d 4 | $0.500$ | 300 ms | 250 ms | 214 ms |
| Dotted Sixteenth | A 2 | 0.375 | 225 ms | 187 ms | 160 ms |
| Sixteenth |  | 0.250 | 150 ms | 125 ms | 107 ms |

Table 3: Musical Notes and Typical Durations

Now with the formula and table to calculate note durations, we can write the program to play "Charge!".

```
# # charge.kbs - play charge
2 sound { 392, 375, 523, 375, 659, 375, 784, 250, 659,
    250, 784, 250}
3 say "Charge!"
```

Program 25: Charge!
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Instead of manually calculating the note durations, let's use a few variables to calculate and store the lengths for us. Using variables we could re-write the "Charge!" program using them to store the results of formulas to calculate note durations (Formula 1).

```
# # charge2.kbs
2 # play charge - use variables
3 bpm = 120 # beats per minute
4 bms = 1000 * 60 / bpm # ms per beat
5 dottedeighth = bms * . }7
6 eighth = bms * . }
7 sound { 392, dottedeighth, 523, dottedeighth, 659,
    dottedeighth, 784, eighth, 659, eighth, 784, eighth }
    say "Charge!"
```

Program 26: Charge! with Variables

|  |  |
| :--- | :--- |
| Big | For this chapter's big program let's take a piece of music by J.S. <br> Bach and write a program to play it. |
| Program | The musical score is a part of J.S. Bach's Little Fuge in G. |



Illustration 12: First Four Measures of J.S. Bach's Little Fuge in G

| 1 | \# littlefuge.kbs |
| :---: | :---: |
| 2 | \# Music by J.S.Bach - XVIII Fuge in G moll. |
| 3 |  |
| 4 | tempo $=100$ \# beats per minute |
| 5 | milimin $=1000$ * 60 \# miliseconds in a minute |
| 6 | $q$ = milimin / tempo \# quarter note is a beat |
| 7 | $\mathrm{h}=\mathrm{q}$ * 2 \# half note (2 quarters) |
| 8 | $e=q / 2$ \# eight note (1/2 quarter) |
| 9 | $s=q / 4$ \# sixteenth note (1/4 quarter) |
| 10 | de $=e+s$ \# dotted eight - eight + 16th |
| 11 | $d q=q+e \#$ doted quarter - quarter + eight |
| 12 |  |
| 13 | sound $\{392, q, 587, q, 466, d q, 440, e, 392, e, 466$, |
|  |  |
|  | e, 294, e, 392, e, 294, s, 392, s, 440, e, 294, s, |
|  | $440, \mathrm{~s}, 466, \mathrm{e}, 440$, s, 392, s, 440, s, 294, s\} |

Program 27: Big Program-Little Fuge in $G$

## Exercises:

## (3) <br> Word Search

| $d$ | $j$ | $r$ | $a$ | $h$ | $e$ | $r$ | $t$ | $z$ | $q$ | $y$ | $t$ | $x$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $n$ | $a$ | $v$ | $a$ | $r$ | $i$ | $a$ | $b$ | $l$ | $e$ | $l$ | $z$ | $s$ |
| $o$ | $s$ | $h$ | $a$ | $l$ | $f$ | $n$ | $g$ | $k$ | $j$ | $u$ | $e$ | $x$ |
| $c$ | $s$ | $s$ | $h$ | $o$ | $r$ | $t$ | $c$ | $u$ | $t$ | $c$ | $g$ | $j$ |
| $e$ | $i$ | $e$ | $h$ | $t$ | $h$ | $g$ | $i$ | $e$ | $a$ | $h$ | $i$ | $n$ |
| $s$ | $g$ | $t$ | $u$ | $r$ | $l$ | $s$ | $l$ | $r$ | $t$ | $b$ | $k$ | $x$ |
| $i$ | $n$ | $a$ | $t$ | $y$ | $f$ | $i$ | $b$ | $n$ | $d$ | $e$ | $d$ | $t$ |
| $l$ | $m$ | $r$ | $s$ | $a$ | $i$ | $x$ | $e$ | $n$ | $e$ | $x$ | $l$ | $u$ |
| $l$ | $e$ | $b$ | $y$ | $c$ | $n$ | $e$ | $u$ | $q$ | $e$ | $r$ | $f$ | $i$ |
| $i$ | $n$ | $i$ | $b$ | $q$ | $t$ | $o$ | $e$ | $v$ | $a$ | $t$ | $c$ | $o$ |
| $m$ | $t$ | $v$ | $z$ | $x$ | $s$ | $j$ | $w$ | $h$ | $o$ | $l$ | $e$ | $b$ |
| $m$ | $u$ | $s$ | $i$ | $c$ | $r$ | $e$ | $t$ | $r$ | $a$ | $u$ | $q$ | $a$ |
| $i$ | $j$ | $s$ | $q$ | $s$ | $e$ | $y$ | $t$ | $e$ | $t$ | $o$ | $n$ | $t$ |

braces, eighth, frequency, half, hertz, millisecond, music, note, octave, quarter, shortcut, sixteenth, sound, vibrate, whole

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