Chapter 15: Arrays - Collections of Information.
Program 92: Assigning an Array With a List

56 Bob
99 Jim
145 Susan
Sample Output 92: Assigning an Array With a List


## Sound and Arrays:

In Chapter 3 we saw how to use a list of frequencies and durations (enclosed in curly braces) to play multiple sounds at once. The sound statement will also accept a list of frequencies and durations from an array. The array should have an even number of elements; the frequencies should be stored in element $0,2,4, \ldots$; and the durations should be in elements $1,3,5, \ldots$.

The sample (Program 93) below uses a simple linear formula to make a fun sonic chirp.

[^0]```
    # play a spacy sound
    # even values 0,2,4... - frequency
    # odd values 1,3,5... - duration
# chirp starts at 100hz and increases by 40 for each
of the 50 total sounds in list, duration is always 10
dim a(100)
for i = 0 to 98 step 2
    a[i] = i * 40 + 100
    a[i+1] = 10
next i
sound a[]
end
```

Program 93: Space Chirp Sound

## Graphics and Arrays:

In Chapter 8 we also saw the use of lists for creating polygons and stamps. Arrays may also be used to draw stamps, polygons, and sprites. This may help simplify your code by allowing the same shape to be defined once, stored in an array, and used in various places in your program.

In an array used for a shape, the even elements ( $0,2,4, \ldots$ ) contain the $x$ value for each of the points and the odd element ( $1,3,5, \ldots$ ) contain the $y$ value for the points. The array will have two values for each point in the
shape.
In Program 94 we will use the stamp from the mouse chapter to draw a big $X$ with a shadow. This is accomplished by stamping a gray shape shifted in the direction of the desired shadow and then stamping the object that is projecting the shadow.

| 1 | \# shadowstamp.kbs |
| :--- | :--- |
| 2 | \# create a stamp from an array |
| 3 | xmark $=\{-1,-2,0,-1,1,-2,2,-1,1,0,2,1,1$, |
| 4 | $2,0,1,-1,2,-2,1,-1,0,-2,-1\}$ |
| 5 |  |
| 6 | clg |
| 7 | color grey |
| 8 | stamp $160,165,50, \operatorname{xmark}[]$ |
| 9 | color black |
| 10 | stamp $150,150,50, \operatorname{xmark}[]$ |

Program 94: Shadow Stamp


Sample Output 94: Shadow Stamp

Arrays can also be used to create stamps or polygons mathematically. In Program 95 we create an array with 10 elements ( 5 points) and assign random locations to each of the points to draw random polygons. BASIC-256 will fill the shape the best it can but when lines cross, as you will see, the fill sometimes leaves gaps and holes.

| 1 | $\#$ randompoly.kbs |
| :--- | :--- |
| 2 | $\#$ make an 5 sided random polygon |
| 3 | dim shape (10) |
| 4 |  |
| 5 | for $t=0$ to 8 step 2 |
| 6 | $\mathbf{x}=300 \star$ rand |
| 7 | $y=300 \star$ rand |
| 8 | shape $[t]=\mathbf{x}$ |
| 9 | shape $[t+1]=y$ |
| 10 | next $t$ |
| 11 |  |


| 13 | clg |
| :--- | :--- |
| 14 | color black |
| 15 | poly shape[] |

## Program 95: Randomly Create a Polygon



Sample Output 95: Randomly Create a Polygon

## Advanced-Two Dimensional Arrays:

So far in this chapter we have explored arrays as lists of numbers or strings. We call these simple arrays one-dimensional arrays because they resemble a line of values. Arrays may also be created with two-dimensions representing rows and columns of data. Program 96 uses both one and two-dimensional arrays to calculate student's average grade.
1 \# grades.kbs
2 \# calculate average grades for each student

```
3 \# and whole class using a two dimensional array
4
5 nstudents \(=3\) \# number of students
6
nscores \(=4\) \# number of scores per student
7
8 dim students (nstudents)
9 dim grades (nstudents, nscores)
10
11 \# store the scores as columns and the students as
rows
12 \# first student
13 students[0] = "Jim"
14 grades \([0,0]=90\)
15 grades \([0,1]=92\)
16 grades \([0,2]=81\)
17 grades \([0,3]=55\)
18 \# second student
19 students[1] = "Sue"
20 grades \([1,0]=66\)
21 grades [1,1] = 99
22 grades \([1,2]=98\)
23 grades [1,3] = 88
24 \# third student
25 students[2] = "Tony"
26 grades \([2,0]=79\)
27 grades \([2,1]=81\)
28 grades \([2,2]=87\)
29 grades \([2,3]=73\)
30
31
total \(=0\)
for row \(=0\) to nstudents-1
        studenttotal \(=0\)
        for column \(=0\) to nscores-1
    studenttotal \(=\) studenttotal + grades[row,
    column]
        total \(=\) total + grades [row, column]
        next column
        print students[row] + "'s average is ";
        print studenttotal / nscores
```

Chapter 15: Arrays - Collections of Information.

```
4 0 ~ n e x t ~ r o w ~
41 print "class average is ";
42 print total / (nscores * nstudents)
4 3
44 end
```

Program 96: Grade Calculator

```
Jim's average is 79.5
Sue's average is 87.75
Tony's average is 80
class average is 82.416667
```

Sample Output 96: Grade Calculator

## Really Advanced - Array Sizes and Passing Arrays to Subroutines and Functions:

Sometimes we need to create programming code that would work with an array of any size. If you specify a question mark as a index, row, or column number in the square bracket reference of an array BASIC-256 will return the dimensioned size. In Program 92 we modified Program 91 to display the array regardless of it's length. You will see the special [?] used on line 16 to return the current size of the array.

```
# # size.kbs
2
3
4
5
6
7
8
print "The Random Array:"
dim r(5)
```

Chapter 15: Arrays - Collections of Information.

```
10 for \(a=0\) to \(r[?]-1\)
\(11 \quad r[a]=\operatorname{int}(r a n d * 10)+1\)
12 next a
13 call showarray(ref(r))
14 \#
15 end
16 \#
17 subroutine showarray(a)
18 print "has " + a[?] + " elements."
19
20
21
22 end subroutine
```

Program 97: Get Array Size

```
The Number Array:
has 3 elements.
element 0 77
element 1 55
element 2 33
The Random Array:
has 5 elements.
element 0 7
element 1 5
element 2 1
element 3 9
element 4 10
```

Sample Output 97: Get Array Size

```
array[?]
\(\operatorname{array}[?\),
array[,?]
```

The [?] returns the length of a one-dimensional array or the total number of elements (rows * column) in a two-dimensional array. The [?,] reference returns the number of rows and the [,?] reference returns the number of columns of a two dimensional array.

ref (array)
The ref() function is used to pass a reference to an array to a function or subroutine.

If the subroutine changes an element in the referenced array the value in the array will change outside the subroutine or function. Remember this is different behavior than other variables, who's values are copied to new variables within the function or subroutine.

## Really Really Advanced - Resizing Arrays:

BASIC-256 will also allow you to re-dimension an existing array. The redim statement will allow you to re-size an array and will preserve the existing data. If the new array is larger, the new elements will be filled with zero (0) or the empty string (""). If the new array is smaller, the values beyond the new size will be truncated (cut off).

```
1 # redim.kbs
2
3 number = {77, 55, 33}
4 # create a new element on the end
```

```
5 redim number (4)
6 number[3] = 22
# #
for i = 0 to 3
9 print i + " " + number[i]
10 next i
```

Program 98: Re-Dimension an Array

077
155
233
322
Sample Output 98: Re-Dimension an Array

redim variable(items)
redim variable(rows, columns)
The redim statement re-sizes an array in the computer's memory. Data previously stored in the array will be kept, if it fits.

When resizing two-dimensional arrays the values are copied in a linear manner. Data may be shifted in an unwanted manner if you are changing the number of columns.


## Big Program

The "Big Program" for this chapter uses three numeric arrays to store the positions and speed of falling space debris. You are not playing pong but you are trying to avoid all of them to score points.

```
1 \# spacewarp.kbs
    \# the falling space debris game
    \# setup balls and arrays for them
    balln \(=5\)
    dim ballx (balln)
    dim bally (balln)
    dim ballspeed (balln)
ballr \(=10 \quad \#\) radius of balls
10
11 \# setup minimum and maximum values
12 minx = ballr
13 maxx = graphwidth - ballr
14 miny \(=\) ballr
15 maxy = graphheight - ballr
16
17
18
19
20
21
22
23
24
25
26
27
28
29
30
31
32
    print "spacewarp - use \(j\) and \(k\) keys to avoid the
    falling space debris"
34 print "q to quit"
35
36
3
    \# initial score
    score \(=0\)
    \# setup player size, move distance, and location
    playerw = 30
    playerm = 10
    playerh = 10
    playerx = (graphwidth - playerw)/2
    \# setup other variables
    keyj = asc("J") \# value for the 'j' key
    keyk \(=\) asc("K") \# value for the 'k' key
    keyq \(=\) asc("Q") \# value for the 'q' key
    growpercent \(=.20\) \# random growth - bigger is faster
    speed \(=.15\) \# the lower the faster
    fastgraphics
```

37
38
39

```
# setup initial ball positions and speed
for n = 0 to balln-1
    bally[n] = miny
    ballx[n] = int(rand * (maxx-minx)) + minx
    ballspeed[n] = int(rand * (2*ballr)) + 1
next n
more = true
while more
    pause speed
    score = score + 1
    # clear screen
    color black
    rect 0, 0, graphwidth, graphheight
    # draw balls and check for collission
    color white
    for n = 0 to balln-1
        bally[n] = bally[n] + ballspeed[n]
        if bally[n] > maxy then
            # ball fell off of bottom - put back at top
            bally[n] = miny
            ballx[n] = int(rand * (maxx-minx)) + minx
            ballspeed[n] = int(rand * (2*ballr)) + 1
        end if
        circle ballx[n], bally[n], ballr
        if ((bally[n]) >= (maxy-playerh-ballr)) and
((ballx[n]+ballr) >= playerx) and ((ballx[n]-ballr)
<= (playerx+playerw)) then more = false
    next n
    # draw player
    color red
    rect playerx, maxy - playerh, playerw, playerh
    refresh
    # make player bigger
```

Chapter 15: Arrays - Collections of Information.

```
74 if (rand<growpercent) then playerw = playerw + 1
7 5
7 6
7 7
78
7 9
80
8 1
82
83
84
85
86 end while
87
88 print "score " + string(score)
89 print "you died."
90
```

Program 99: Big Program - Space Warp Game

Chapter 15: Arrays - Collections of Information.


Sample Output 99: Big Program - Space Warp Game

## Exercises:

| Word Search | $\begin{array}{llllllllll} \hline a & t & d & v & i & t & f & p & a & u \\ y & o & y & n & s & z & o & n & c & b \\ e & r & d & q & a & i & m & n & o & e \\ o & e & o & s & c & o & l & u & m & n \\ x & e & d & m & c & z & d & y & v & i \\ c & o & l & l & e & c & t & i & o & n \\ a & r & r & a & y & m & n & h & z & y \\ y & h & t & s & i & l & e & g & d & f \\ d & i & m & e & n & s & i & o & n & l \\ y & j & n & f & z & r & o & w & l & t \end{array}$ <br> array, collection, column, dimension, index, list, memory, row |
| :---: | :---: |

1. Ask the user for how many numbers they want to add together
and display the total. Create an array of the user chosen size,
prompt the user to enter the numbers and store them in the
array. Once the numbers are entered loop through the array
elements and print the total of them.
2. Add to Problem 1 logic to display the average after calculating
the total.
3. Add to Problem 1 logic to display the minimum and the
maximum values. To calculate the minimum: 1 ) copy the first
element in the array into a variable; 2) compare all of the
remaining elements to the variable and if it is less than the saved
value then save the new minimum.
4. Take the program from Problem 2 and 3 and create functions


## Chapter 16: Mathematics - More Fun With Numbers.

In this chapter we will look at some additional mathematical operators and functions that work with numbers. Topics will be broken down into four sections: 1) new operators; 2) new integer functions, 3) new floating-point functions, and 4) trigonometric functions.

## New Operators:

In addition to the basic mathematical operations we have been using since the first chapter, there are three more operators in BASIC-256. Operations similar to these three operations exist in most computer languages. They are the operations of modulo, integer division, and power.

| Operation | Operator | Description |
| :--- | :---: | :--- |
| Modulo | $\%$ | Return the remainder of an integer division. |
| Integer Division |  | Return the whole number of times one <br> integer can be divided into another. |
| Power | $\wedge$ | Raise a number to the power of another <br> number. |

## Modulo Operator:

The modulo operation returns the remainder part of integer division. When you do long division with whole numbers, you get a remainder - that is the same as the modulo.

[^1]| 2 | inputinteger "enter a number ", n |
| :--- | :--- |
| 3 | if $n \% 2=0$ then print "divisible by $2 "$ |
| 4 | if $n \% 3=0$ then print "divisible by $3 "$ |
| 5 | if $n \% 5=0$ then print "divisible by $5 "$ |
| 6 | if $n \% 7=0$ then print "divisible by $7 "$ |
| 7 | end |

## Program 100: The Modulo Operator

```
enter a number 10
divisible by 2
divisible by 5
```

Sample Output 100: The Modulo Operator
expression1 \% expression2
The Modulo (\%) operator performs integer division of expression1
divided by expression2 and returns the remainder of that process.
If one or both of the expressions are not integer values (whole
numbers) they will be converted to an integer value by truncating
the decimal (like in the int() function) portion before the operation
is performed.

You might not think it, but the modulo operator (\%) is used quite often by programmers. Two common uses are; 1) to test if one number divides into another (Program 100) and 2 ) to limit a number to a specific range (Program 101).

1
\# moveballmod.kbs

2 \# rewrite of moveball.kbs using the modulo operator to wrap the ball around the screen
\# position of the ball
11 \# start in the center of the screen
12
$\mathbf{x}=$ graphwidth /2
$\mathrm{y}=$ graphheight / 2
\# draw the ball initially on the screen
call drawball(x, y, ballradius)
17
\# loop and wait for the user to press a key
while true
k = key
if $k=\operatorname{asc}(" I ")$ then
\# y can go negative, + graphheight keeps it
positive
$y=(y-b a l l r a d i u s+g r a p h h e i g h t) \%$
graphheight
call drawball(x, y, ballradius)
end if
if $k=\operatorname{asc}(" J ")$ then
$\mathbf{x}=$ (x - ballradius + graphwidth) \% graphwidth
call drawball(x, y, ballradius)
end if
if $k=\operatorname{asc}(" K ")$ then
$\mathbf{x}=(\mathbf{x}+$ ballradius) $\%$ graphwidth
call drawball(x, y, ballradius)
end if
if $k=\operatorname{asc}(" M$ ") then
$y=(y+b a l l r a d i u s) \%$ graphheight
call drawball(x, y, ballradius)

Chapter 16: Mathematics - More Fun With Numbers.

```
37 end if
38
39
end while
40
41 subroutine drawball (bx, by, br)
4 2
4 3
4 4
4 5
    color white
    rect 0, 0, graphwidth, graphheight
    color red
    circle bx, by, br
    refresh
    end subroutine
```

Program 101: Move Ball - Use Modulo to Keep on Screen

## Integer Division Operator:

The Integer Division ( $\backslash$ ) operator does normal division but it works only with integers (whole numbers) and returns an integer value. As an example, 13 divided by 4 is 3 remainder 1 - so the result of the integer division is 3 .

1 \# integerdivision.kbs
2 inputinteger "dividend ", dividend
3 inputinteger "divisor ", divisor
4 print dividend + " / " + divisor + " is ";
5 print dividend \ divisor;
6 print "r";
7 print dividend \% divisor;
Program 102: Check Your Long Division
dividend 43
divisor 6
43 / 6 is $7 r 1$
Sample Output 102: Check Your Long Division

expression1 \ expression2
The Integer Division ( $\backslash$ ) operator performs division of expression1 / expression2 and returns the whole number of times expression1 goes into expression2.

If one or both of the expressions are not integer values (whole numbers), they will be converted to an integer value by truncating the decimal (like in the int() function) portion before the operation is performed.

## Power Operator:

The power operator will raise one number to the power of another number.

| 1 | \# power.kbs |
| :--- | :--- |
| 2 | for $t=0$ to 16 |
| 3 | print $\\|^{\wedge} \wedge "+t+"=" ;$ |
| 4 | print $2 \wedge t$ |
| 5 | next $t$ |

Program 103: The Powers of Two
$2 \wedge 0=1$
$2 \wedge 1=2$
$2 \wedge 2=4$
$2 \wedge 3=8$
$2 \wedge 4=16$
$2 \wedge 5=32$
$2 \wedge 6=64$
$2 \wedge 7=128$
$2 \wedge 8=256$
$2 \wedge 9=512$
$2 \wedge 10=1024$
$2 \wedge 11=2048$
$2 \wedge 12=4096$
$2 \wedge 13=8192$
$2 \wedge 14=16384$
$2 \wedge 15=32768$
$2 \wedge 16=65536$

Sample Output 103: The Powers of Two
 expression1 ^ expression2

The Power ( $\wedge$ ) operator raises expression1 to the expression2 power.

The mathematical expression $a=b^{c}$ would be written in BASIC256 as $\mathrm{a}=\mathrm{b}$ ^ c .

## New Integer Functions:

The three new integer functions in this chapter all deal with how to convert strings and floating-point numbers to integer values. All three functions handle the decimal part of the conversion differently.

In the int() function the decimal part is just thrown away, this has the same effect of subtracting the decimal part from positive numbers and adding it to negative numbers. This can cause troubles if we are trying to round and there are numbers less than zero (0).

The ceil() and floor() functions sort of fix the problem with int(). Ceil() always adds enough to every floating-point number to bring it up to the next whole number while floor(0) always subtracts enough to bring the floating-point number down to the closest integer.

We have been taught to round a number by simply adding 0.5 and drop the decimal part. If we use the int() function, it will work for positive numbers but not for negative numbers. In BASIC-256 to round we should always use a formula like $a=$ floor $(b+0.5)$.

| $\|c\|$ | Function | Description |
| :--- | :--- | :--- |

Program 104: Difference Between Int, Ceiling, and Floor

```
-46.850173 int=-46 ceil=-46 floor=-47
```

```
-43.071987 int=-43 ceil=-43 floor=-44
23.380133 int=23 ceil=24 floor=23
4.620722 int=4 ceil=5 floor=4
3.413543 int=3 ceil=4 floor=3
-26.608505 int=-26 ceil=-26 floor=-27
-18.813465 int=-18 ceil=-18 floor=-19
7.096065 int=7 ceil=8 floor=7
23.482759 int=23 ceil=24 floor=23
-45.463169 int=-45 ceil=-45 floor=-46
```

Sample Output 104: Difference Between Int, Ceiling, and Floor

## New Floating-Point Functions:

The mathematical functions that wrap up this chapter are ones you may need to use to write some programs. In the vast majority of programs these functions will not be needed.

| Function | Description |  |
| :--- | :--- | :--- |
|  | abs (expression) | Converts a floating-point or integer <br> expression to an absolute value. |
|  | Returns the natural logarithm (base e) <br> of a number. |  |

## Advanced - Trigonometric Functions:

Trigonometry is the study of angles and measurement. BASIC-256 includes support for the common trigonometric functions. Angular measure is done in radians $(0-2 p)$. If you are using degrees ( $0-360$ ) in your programs you must convert to use the "trig" functions.
© 2019 James M. Reneau (CC BY-NC-SA 3.0 US)

|  | Function | Description |
| :---: | :---: | :---: |
|  | cos (expression) | Return the cosine of an angle. |
|  | sin(expression) | Return the sine of an angle. |
|  | tan (expression) | Return the tangent of an angle. |
|  | degrees (expression) | Convert Radians ( $0-2 \pi$ ) to Degrees (0-360). |
|  | radians (expression) | Convert Degrees (0-360) to Radians ( $0-2 \pi$ ). |
|  | acos (expression) | Return the inverse cosine. |
|  | asin(expression) | Return the inverse sine. |
|  | atan(expression) | Return the inverse tangent. |

The discussion of the first three functions will refer to the sides of a right triangle. Illustration 24 shows one of these with it's sides and angles labeled.


Illustration 24: Right Triangle

## Cosine:

A cosine is the ratio of the length of the adjacent leg over the length of the hypotenuse $\cos A=\frac{b}{c}$. The cosine repeats itself every $2 \pi$ radians and has a range from -1 to 1 . Illustration 24 graphs a cosine wave from 0 to $2 \pi$ radians.


Illustration 25: Cos() Function

## Sine:

The sine is the ratio of the opposite leg over the hypotenuse $\sin A=\frac{a}{c}$. The sine repeats itself every $2 \pi$ radians and has a range from -1 to 1 . You have seen diagrams of sine waves in Chapter 3 as music was discussed.


Illustration 26: Sin() Function

## Tangent:

The tangent is the ratio of the adjacent side over the opposite side $\tan A=\frac{a}{b}$. The tangent repeats itself every $\pi$ radians and has a range from $-\infty$ to $\infty$. The tangent has this range because when the angle approaches $1 / 2 \pi$ radians the opposite side gets very small and will actually be zero when the angle is $1 / 2 \pi$ radians.


Illustration 27: Tan() Function

## Degrees Function:

The degrees() function does the quick mathematical calculation to convert an angle in radians to an angle in degrees. The formula used is degrees $=$ radians $/ 2 \pi * 360$

## Radians Function:

The radians() function will convert degrees to radians using the formula radians $=$ degrees $/ 360 * 2 \pi$. Remember all of the trigonometric functions in BASIC-256 use radians and not degrees to measure angles.

## Inverse Cosine:

The inverse cosine function $\mathbf{a c o s}()$ will return an angle measurement in radians for the specified cosine value. This function performs the opposite of the $\cos ()$ function.


Illustration 28: Acos() Function

## Inverse Sine:

The inverse sine function asin() will return an angle measurement in radians for the specified sine value. This function performs the opposite of the $\sin ()$ function.


Illustration 29: Asin() Function

## Inverse Tangent:

The inverse tangent function atan() will return an angle measurement in radians for the specified tangent value. This function performs the opposite of the $\boldsymbol{\operatorname { t a n }}()$ function.


Illustration 30: Atan() Function

(

## Big Program

The big program this chapter allows the user to enter two positive whole numbers and then performs long division. This program used logarithms to calculate how long the numbers are, modulo and integer division to get the individual digits, and is generally a very complex program. Don't be scared or put off if you don't understand exactly how it works, yet.

```
1
2
3
4
5
6
7
8
9
```


# handyclock.kbs

```
# handyclock.kbs
    fastgraphics
    fastgraphics
while true
while true
    clg
    clg
    # draw outline
    # draw outline
    color black, white
    color black, white
    penwidth 5
    penwidth 5
    circle 150,150,105
    circle 150,150,105
    # draw the 60 marks (every fifth one make it
    # draw the 60 marks (every fifth one make it
    larger)
    larger)
    color black
    color black
    penwidth 1
    penwidth 1
    for m = 0 to 59
    for m = 0 to 59
        a = 2 * pi * m / 60
        a = 2 * pi * m / 60
        if m % 5 = 0 then
        if m % 5 = 0 then
            pip = 5
            pip = 5
        else
        else
            pip = 1
            pip = 1
        end if
        end if
        circle 150-sin(a)*95,150-cos(a)*95,pip
        circle 150-sin(a)*95,150-cos(a)*95,pip
    next m
    next m
    # draw the hands
    # draw the hands
    h = hour % 12 * 60 / 12 + minute/12 + second /
    h = hour % 12 * 60 / 12 + minute/12 + second /
    3600
    3600
    call drawhand(150,150,h,50,6,green)
    call drawhand(150,150,h,50,6,green)
    m = minute + second / 60
```

    m = minute + second / 60
    ```

27

31
call drawhand ( \(150,150, \mathrm{~m}, 75,4\), red \()\)
    call drawhand ( 150,150 , second, 100,3, blue)
    refresh
    pause 1
    end while
    subroutine drawhand(x, y, f, l, w, handcolor)
    \# pass the location \(x\) and \(y\)
    \# f as location on face of clock 0-59
    \# length, width, and color of the hand
    color handcolor
    stamp x, y, 1, f/60*2*pi - pi / 2, \{0,-w,1,0,0,w\}
    end subroutine

Program 105: Big Program - Clock with Hands


Sample Output 105: Big Program - Clock with Hands
© 2019 James M. Reneau (CC BY-NC-SA 3.0 US)

\section*{Exercises:}
\begin{tabular}{|c|c|}
\hline Word Search & \begin{tabular}{l}
\[
\begin{array}{llllllllllll}
\hline e & c & e & i & l & i & n & g & n & d & a & b \\
f & t & z & n & n & u & r & a & r & b & g & s \\
c & y & i & t & a & e & t & e & s & m & o & k \\
f & s & r & s & g & a & m & p & h & c & t & j \\
a & a & r & e & o & a & l & t & a & n & i & s \\
t & o & t & o & i & p & i & l & e & p & d & n \\
t & n & l & n & o & r & p & c & c & o & e & a \\
i & a & d & u & a & l & a & o & o & w & g & i \\
r & e & o & g & d & j & f & s & s & e & r & d \\
r & o & o & l & d & o & i & x & k & r & e & a \\
r & l & p & a & f & n & m & w & c & s & e & r \\
d & s & h & y & p & o & t & e & n & u & s & e
\end{array}
\] \\
abs, acos, adjacent, asin, atan, ceiling, cos, degrees, float, floor, hypotenuse, int, integer, logarithm, modulo, opposite, power, radians, remainder, sin, tan
\end{tabular} \\
\hline
\end{tabular}
1. Have the user input a decimal number. Display the number it as
a whole number and the closest faction over 1000 that is possible.
Problems
2. Take the program from Problem 1 and use a loop to reduce the
fraction by dividing the numerator and denominator by common
factors.
sides (3 and up). Place it's center in the center of the graphics
window and make its vertices 100 pixels from the center. Hint: A
circle can be drawn by plotting points a specific radius from a
point. The following plots a circle with a radius of 100 pixels
around the point 150,150 .
\begin{tabular}{|l|l|}
\hline for \(a=0\) to \(2 *\) pi step .01 \\
plot \(150-100 * \sin (a), 150-100 * \cos (a)\) \\
next \(a\)
\end{tabular}```


[^0]:    1 \# spacechirp.kbs

[^1]:    1
    \# modulo.kbs

